

> # DARIEN OLIVA - ECON 453 - FINAL EXAM PART 2

```
>
> # IMPORT DATA FOR ALL QUESTIONS/SHEETS
>
> library(readxl)
> data1 <- read_excel("Downloads/final_exam_part2_data_version_a.xlsx",
+                     sheet = "Housing_Starts")
> View(data1)
>
> library(readxl)
> data2 <- read_excel("Downloads/final_exam_part2_data_version_a.xlsx",
+                     sheet = "gym")
> View(data2)
>
> library(readxl)
> data3 <- read_excel("Downloads/final_exam_part2_data_version_a.xlsx",
+                     sheet = "Houses")
> View(data3)
>
```

> # QUESTION 1 A

```
>
> model1 <- lm(data1$HStarts ~ data1$Date, data1)
>
> summary(model1)
```

Call:

lm(formula = data1\$HStarts ~ data1\$Date, data = data1)

Residuals:

Min	1Q	Median	3Q	Max
-25.9665	-8.2120	0.1108	8.7541	24.3740

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-2.649e+02	2.318e+01	-11.43	<2e-16 ***
data1\$Date	2.462e-07	1.634e-08	15.07	<2e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 11.48 on 93 degrees of freedom
Multiple R-squared: 0.7095, Adjusted R-squared: 0.7063
F-statistic: 227.1 on 1 and 93 DF, p-value: < 2.2e-16

>

```

> plot(data1$Date,data1$HStarts, type = "l", main = "Linear Trend Model For Housing Starts",
+   xlab = "Date",
+   ylab = "Housing Starts")
> lines(data1$Date, predict(model1),
+   col = 2,
+   lwd = 2)
>
> # The p-value is 2.2e-16 which indicates that the relationship between Date and Housings
Starts
> # is highly statistically significant.
>
> ts(data1$HStarts)
Time Series:
Start = 1
End = 95
Frequency = 1
 [1] 40.2 35.4 49.9 49.0 54.0 60.5 57.6 54.5 58.8 53.2 53.0 42.7 47.2
[14] 49.7 58.0 66.8 67.8 74.7 69.2 69.0 75.8 77.0 62.2 63.2 58.7 66.1
[27] 83.3 76.3 87.2 80.7 84.0 80.4 78.4 78.4 83.8 67.6 60.7 65.1 80.2
[40] 94.9 92.5 87.3 101.0 86.2 94.2 92.0 75.8 73.4 73.0 61.9 79.7 108.5
[53] 99.6 112.3 107.2 99.2 111.6 90.9 89.9 78.1 74.3 84.1 90.7 106.2 105.0
[66] 111.6 115.2 102.8 95.0 114.5 87.8 86.5 82.3 87.8 97.1 105.2 106.0 116.3
[79] 112.3 102.6 104.4 109.6 97.9 81.4 91.6 89.7 107.2 117.5 123.7 112.0 111.9
[92] 113.8 109.7 106.1 95.9
> housingstarts <- ts(data1$HStarts, frequency = 12, start = 2011)
> autoplot(housingstarts, main = " Housings Starts for 2011-2018", xlab = "Date", ylab =
"Housing Starts")
>
> autoplot(housingstarts, main = "Forecast for Housing Starts",xlab = "Date", ylab = "Housing
Starts")+autolayer(hw(housingstarts, seasonal = "multiplicative", PI=FALSE))
+autolayer(hw(housingstarts, seasonal = "additive", PI=FALSE), col="Red")
>
>
> # QUESTION 1 B
>
> data1 <- data1 %>%
+   mutate(Month=month(ymd(Date)))
> View(data1)
>
> data1 <- data1 %>%
+   mutate(Month = format(as.Date(Date), "%m"))
>
> data1$Jan=ifelse((data1$Month=="01"),1,0)
> data1$Feb=ifelse((data1$Month=="02"),1,0)

```

```

> data1$Mar=ifelse((data1$Month=="03"),1,0)
> data1$Apr=ifelse((data1$Month=="04"),1,0)
> data1$May=ifelse((data1$Month=="05"),1,0)
> data1$June=ifelse((data1$Month=="06"),1,0)
> data1$July=ifelse((data1$Month=="07"),1,0)
> data1$Aug=ifelse((data1$Month=="08"),1,0)
> data1$Sep=ifelse((data1$Month=="09"),1,0)
> data1$Oct=ifelse((data1$Month=="10"),1,0)
> data1$Nov=ifelse((data1$Month=="11"),1,0)
> data1$Dec=ifelse((data1$Month=="12"),1,0)
>
> model1b <- lm(HStarts ~ Feb + Mar + Apr + May + June + July + Aug + Sep + Oct + Nov +
Dec, data = data1)
> summary(model1b)

```

Call:

```
lm(formula = HStarts ~ Feb + Mar + Apr + May + June + July +
  Aug + Sep + Oct + Nov + Dec, data = data1)
```

Residuals:

```

      Min       1Q   Median       3Q      Max
-41.550 -13.469   3.012  15.987  31.725

```

Coefficients:

```

              Estimate Std. Error t value Pr(>|t|)
(Intercept)  66.000      6.991   9.441 8.58e-15 ***
Feb           1.475      9.887   0.149 0.88177
Mar          14.762      9.887   1.493 0.13919
Apr          24.550      9.887   2.483 0.01504 *
May          25.975      9.887   2.627 0.01025 *
June         28.425      9.887   2.875 0.00513 **
July         28.800      9.887   2.913 0.00460 **
Aug          22.563      9.887   2.282 0.02504 *
Sep          24.988      9.887   2.527 0.01339 *
Oct          24.213      9.887   2.449 0.01643 *
Nov          14.788      9.887   1.496 0.13853
Dec           4.414     10.234   0.431 0.66733

```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 19.77 on 83 degrees of freedom
Multiple R-squared: 0.2311, Adjusted R-squared: 0.1292
F-statistic: 2.268 on 11 and 83 DF, p-value: 0.01792

```

>
>
> # QUESTION 1 C
>
> # SEE SCANNED ANSWERS
> # COMPARE THE MODELS
>
>
> # QUESTION 2 A
>
> # make dummy variables and make model 2
>
> data2$D_Plan=ifelse((data2$Plan=="Single"),1,0)
> summary(data2)
  Renewed      Age      Income      Plan      D_Plan
Min. :0.000 Min. :20.00 Min. : 30.00 Length:200 Min. :0.000
1st Qu.:0.000 1st Qu.:34.00 1st Qu.: 56.00 Class :character 1st Qu.:0.000
Median :1.000 Median :50.00 Median : 96.50 Mode :character Median :1.000
Mean :0.575 Mean :49.17 Mean : 91.85 Mean :0.535
3rd Qu.:1.000 3rd Qu.:65.00 3rd Qu.:122.00 3rd Qu.:1.000
Max. :1.000 Max. :80.00 Max. :150.00 Max. :1.000
>
> model2 <- lm(Renewed~Age+Income+D_Plan, data = data2)
> summary(model2)

```

Call:

```
lm(formula = Renewed ~ Age + Income + D_Plan, data = data2)
```

Residuals:

```

  Min      1Q  Median      3Q      Max
-0.9699 -0.2519  0.0438  0.2910  0.9508

```

Coefficients:

```

              Estimate Std. Error t value Pr(>|t|)
(Intercept) -0.3380805  0.1107921  -3.051  0.00259 **
Age           0.0054229  0.0016099   3.368  0.00091 ***
Income        0.0077886  0.0007725  10.082 < 2e-16 ***
D_Plan        -0.1289184  0.0562271  -2.293  0.02292 *

```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.3952 on 196 degrees of freedom

Multiple R-squared: 0.3735, Adjusted R-squared: 0.3639

F-statistic: 38.95 on 3 and 196 DF, p-value: < 2.2e-16

```

>
> # use this code to run the prediction for 40 year old man
>
> newdata <- data.frame(Age = 40, Income = 80, D_Plan = 1)
> predictions <- predict(model2, newdata = newdata)
> predictions
      1
0.3730033
>
> # 1
> # 0.3730033
>
> # QUESTION 2 B
>
>
> logistic_model <- glm(formula = Renewed ~ Age + Income + D_Plan, family = binomial, data =
data2)
> logistic_model

```

Call: glm(formula = Renewed ~ Age + Income + D_Plan, family = binomial,
data = data2)

Coefficients:

(Intercept)	Age	Income	D_Plan
-4.92665	0.03699	0.04372	-0.85931

Degrees of Freedom: 199 Total (i.e. Null); 196 Residual

Null Deviance: 272.7

Residual Deviance: 185.7 AIC: 193.7

```

> predictions <- predict(logistic_model, newdata = data.frame(Age = 40, Income = 80, D_Plan =
1))
> predictions
      1
-0.8084314
> # 1
> # -0.8084314
>
> # RESULT : Classify as non-renew
>
> #calculate odds.
> odds <- predictions / (1 - predictions)
> odds
      1

```

```

-0.4470346
> # 1
> # -0.4470346
>
>
> # QUESTION 2 C
>
> # COMPARE THE MODELS
>
> # QUESTION 3 A
>
> model3 <- lm(Price ~ Sqft + Beds + Baths + Colonial, data = data3)
> summary(model3)

```

Call:

```
lm(formula = Price ~ Sqft + Beds + Baths + Colonial, data = data3)
```

Residuals:

```

      Min       1Q   Median       3Q      Max
-157118 -47479  -4742   38849 168327

```

Coefficients:

```

              Estimate Std. Error t value Pr(>|t|)
(Intercept) 165888.66   52353.54   3.169 0.00343 **
Sqft         91.68     32.34    2.834 0.00801 **
Beds        4372.36   18561.84   0.236 0.81533
Baths       66619.61  24659.48   2.702 0.01109 *
Colonial    74557.88  27374.26   2.724 0.01051 *

```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 68440 on 31 degrees of freedom

Multiple R-squared: 0.777, Adjusted R-squared: 0.7483

F-statistic: 27.01 on 4 and 31 DF, p-value: 1.031e-09

```

>
> # QUESTION 3 B
>
> # 91.68, meaning on average, for each additional sq ft in a home, the sales price increases
> # by $91.87 (all else constant). This is statistically significant as indicated by the low p-value.
>
> # QUESTION 3 C
>

```

```

> #74,557.88, meaning that colonial homes are expected to sell for $74,557.88 more than
non-colonial
> # homes on average, and while controlling other variables. This is statistically significant as
indicated by low p-value.
>
>
> # QUESTION 3 D
>
> # Variables Sqft, Bath, and Colonial are all statistically significant as indicated by their low
p-values.
> # This shows a strong relationship between these variables and sales price. Beds is not a
statistically significant variable
> # as indicated by its high p-value. This means there is not a strong relationship between
number of Bedrooms and sales price.
>
> # QUESTION 3 E
>
> # 95 % confidence interval for expected price for 2500 sqft, colonial, 3 bed, 2 bath.
>
> predict.lm(model3, data.frame(Sqft = 2500, Beds = 3, Baths = 2, Colonial = 1),
+       interval = "predict", level = 0.95)
      fit    lwr    upr
1 615990.9 466436.4 765545.4
>
> #RESULTS:
> # fit    lwr    upr
> # 615990.9 466436.4 765545.4

```